

# Business cycles and the two margins of labor adjustment

## Seminar at Seðlabanki Íslands

Francesco Furlanetto and Tommy Sveen

Norges Bank

August 25, 2009

- New Keynesian model with (or without) nominal and real rigidities is the reference framework for business cycle analysis.
- Model based on agents that are optimizing intertemporally that can be used for policy analysis.
- However, the standard version of the model (Woodford (2003), Galí (2008)) has no unemployment!
- Recent literature introduced labor market frictions in the New Keynesian model to study unemployment dynamics
  - Frictions in the labor market because it is costly to find a match and it takes time (Mortensen-Pissarides).

- 1 Real Business Cycle models. Seminal contributions by Andolfatto (1996) and Merz (1995). Fluctuations are driven only by neutral technology shocks.
  - Shimer (2005 and 2009): the model does not deliver enough employment volatility.
- 2 Monetary models with nominal and real rigidities: Walsh (2005), Trigari (2004 and 2006). Fluctuations are driven by monetary shocks. Challenge: explain inflation persistence
  - Labor market frictions do not help generating more inflation persistence.
- 3 Estimated models with a series of shocks using Bayesian techniques (Gertler, Sala and Trigari (2007), Goshenny (2009))
  - The performance of the model is at best comparable with standard models with no labor market frictions (Smets-Wouters 2007)
  - Large problems of identification. No internal propagation (Lubik 2009)

- Our paper also studies the role of labor market frictions in the transmission mechanism for shocks (technology, investment-specific and monetary).
- In particular, we consider the effects on the two margins of labor adjustment:
  - Extensive margin (number of workers): fluctuations in employment
  - Intensive margin (hours per capita): fluctuations in hours
- ① Review some empirical evidence on the adjustment along the two margins
- ② Provide a model that is able to deliver a reasonable split across the two margins
- ③ Compare with existing literature

# Motivation: empirical evidence

- Unconditional evidence: In the data, around 1/3 of the overall volatility of hours worked is due to variation in hours per worker (Krause and Lubik (2009)).

## Standard Deviation in US data

Unemployment	Hours per capita	Total hours	GDP
7.71	0.30	1.10	1.41

- Motivation for having a model with two margins
  - Fluctuations on the hours margin are not negligible but much larger volatility in employment.
  - The second margin imposes more discipline on the theoretical model

# Motivation: empirical evidence

- Conditional evidence: Positive neutral technology shocks contract both hours and employment, but employment reacts slightly more. Canova, Lopez-Salido and Michelacci (2009)
  - Similar results in Baleer (2007) and Barnichon (2008). Consistent with Gali (1999).
- Conditional evidence: Expansionary monetary policy shock expand both hours and employment but employment reacts more (Trigari, 2008).
- Conditional evidence: Positive investment-specific shocks expand hours per capita whereas the employment response is not significant. (Canova et al. 2009).

- Krause and Lubik (2009): the RBC model with two margins of labor adjustment has difficulty explaining the relative volatilities of hours and employment
  - hours per worker are too volatile relative to employment
  - the model cannot explain the volatilities of vacancies and unemployment (Shimer puzzle).
- The same is true in New Keynesian models with nominal and real rigidities.

Our goal is to provide a theoretical model that is able to obtain a reasonable split across the two margins.

Important ingredients in our model:

- 1 Timing assumption (as in Ravenna and Walsh (2008))
- 2 Bargaining set-up (as in Sveen and Weinke (2007))

These two features are useful to increase the adjustment through the employment margin.



# The timing assumption

We follow Ravenna and Walsh (2008) and Blanchard and Gali (2009)

- Employment is not a predetermined variable (instantaneous hiring).

$$N_t(i) = (1 - s) N_{t-1}(i) + L_t(i). \quad (1)$$

- In case of separation, workers can find a job in the period.

# The bargaining set-up

- Firms trade-off on the use of the two margins of labor adjustment:
  - Using hours more intensively increases average wages
  - Hiring new workers is costly (hiring cost)
- This is achieved by a specific bargaining set-up where the firm takes rationally into account that using hours more intensively increases average wages (Sveen and Weinke 2007)
  - Wages are set by Nash bargaining
  - Hours are decided by firms in a game where the firm is the leader and the wage negotiation is the follower
    - In the Right to Manage framework (Trigari 2006) the firm is the follower and takes the wage as given.

- Neutral technology shocks.
  - The model implies a large response of employment and can reproduce the evidence for plausible calibrations.
  - Nominal and real rigidities are essential.
- Investment-specific shocks
  - The adjustment is achieved mainly through hours in keeping with the evidence
  - Little propagation in the model for a plausible labor supply elasticity
- Monetary shocks
  - The adjustment is achieved mainly through employment in keeping with the evidence and confirming results in Sveen and Weinke (2007).

# Our framework in perspective

- Our model relies on Ravenna and Walsh (2008) and Sveen and Weinke (2007)
  - It includes capital accumulation (potentially important for technology shocks, Shimer 2009)
  - It includes nominal and real rigidities (important for monetary shocks)
  - it includes variable capacity utilization for completeness (third margin of adjustment).
- Few papers have two margins of labor adjustment and capital accumulation: Krause and Lubik (2009), Andolfatto (1996).

# Our framework in perspective

- Canova, Lopez-Salido and Michelacci (2009) rationalize their evidence in the context of a growth model featuring a vintage structure of technology shocks and search and matching frictions in the labor market.
- Trigari (2008) studies monetary shocks in a model with endogenous separation.
- We provide an alternative explanation using a model that is close to the "standard" New Keynesian model.

$$E_t \int_0^1 \left[ \sum_{k=0}^{\infty} \beta^k U(C_{t+k}, H_{t+k}(h)) \right] dh, \quad (2)$$

$$U(C_t, H_t(h)) = \ln(C_t - hC_{t-1}) - \chi \frac{H_t(h)^{1+\eta}}{1+\eta}, \quad (3)$$

$$P_t(C_t + I_t + f(UT_t)) + D_t \leq D_{t-1}R_{t-1} + P_t W_t H_t N_t + BZ_t \Psi_t^{\frac{\alpha}{1-\alpha}} U_t + T_t + P_t R_t^K K_t. \quad (4)$$

$$\bar{K}_{t+1} = (1 - \delta)\bar{K}_t + \Psi_t \left( 1 - S \left( \frac{I_t}{I_{t-1}} \right) \right) I_t, \quad (5)$$

$$K_t = UT_t \bar{K}_t \quad (6)$$

- Technology is Cobb-Douglas

$$Y_t(i) = K_t(i)^\alpha (Z_t N_t(i) H_t(i))^{1-\alpha}, \quad (7)$$

- We follow Blanchard and Galí (2007) in assuming restrictions on firms' hiring decisions.
- The law of motion of employment

$$N_t(i) = (1 - s) N_{t-1}(i) + L_t(i). \quad (8)$$

- Hiring costs (per unit of employment)

$$G_t = Y Z_t \Psi_t^{\frac{\alpha}{1-\alpha}} \left( \frac{L_t}{U_t^S} \right)^\vartheta, \quad (9)$$

where  $U_t^S \equiv 1 - (1 - s) N_{t-1}$ .

- Each firm  $i$  maximizes the following problem:

$$\sum_{k=0}^{\infty} E_t \left\{ \Lambda_{t,t+1}^R \left[ \begin{array}{l} Y_{t+k}(i) \frac{P_{t+k}(i)}{P_{t+k}} - R_{t+k}^K K_{t+k}(i) \\ - W_{t+k}(i) N_{t+k}(i) H_{t+k}(i) - G_{t+k} L_{t+k}(i) \end{array} \right] \right\}$$

s.t.

$$Y_{t+k}(i) = \left( \frac{P_{t+k}(i)}{P_{t+k}} \right)^{-\epsilon} Y_{t+k},$$

$$Y_{t+k}(i) = K_{t+k}(i)^\alpha (Z_{t+k} N_{t+k}(i) H_{t+k}(i))^{1-\alpha},$$

$$N_{t+k}(i) = (1-s) N_{t+k-1}(i) + L_{t+k}(i),$$

$$P_{t+k+1}(i) = \begin{cases} P_{t+k+1}^*(i) & \text{with prob. } (1-\theta) \\ P_{t+k}(i) & \text{with prob. } \theta \end{cases}.$$



- The remaining first-order conditions read

$$W_t(i) + \frac{\partial W_t(i)}{\partial H_t(i)} H_t(i) = \frac{(1 - \alpha) MC_t Y_t(i)}{H_t(i) N_t(i)}, \quad (10)$$

$$W_t(i) H_t(i) + G_t = (1 - \alpha) MC_t Y_t(i) / N_t(i) + (1 - s) E_t \left\{ \Lambda_{t,t+1}^R G_{t+1} \right\}. \quad (11)$$

- The two equations have similar interpretations:
  - On the LHS is the cost of increasing the use of hours or hiring an additional worker.
  - On the RHS is the benefit of the marginal hour or worker.

# Baseline Model

## Wage Bargaining and Monetary Policy

- The wage resulting from the bargain is then

$$W_t(i) H_t(i) = \chi C_t \frac{H_t(i)^{1+\eta}}{1+\eta} + \Psi_t \quad (12)$$

where

$$\begin{aligned} \Psi_t \equiv & BZ_t \Psi_t^{\frac{\alpha}{1-\alpha}} + \frac{1-\phi}{\phi} G(F_t) \\ & - \frac{1-\phi}{\phi} E_t \left\{ \Lambda_{t,t+1}^R (1-s) (1-F_{t+1}) G(F_{t+1}) \right\}. \end{aligned} \quad (13)$$

- Monetary policy rule

$$\frac{R_t}{R} = \left( \frac{R_{t-1}}{R} \right)^{\rho_R} \left[ \left( \frac{\Pi_t}{\Pi} \right)^{\phi_\pi} \right]^{1-\rho_R},$$

where  $\rho_R$  denotes the degree of interest rate smoothing.

# Baseline Model

## Calibration

$\eta = 7$  (inverse of labor supply elasticity)

$\theta = 0.66$  (price rigidity, slightly more than 3 quarters)

$h = 0.8$  (habit persistence)

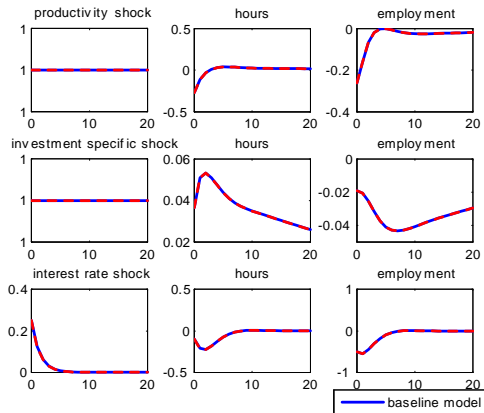
$\phi = 1/2$  (bargaining power)

$B = 0.4$  (unemployment benefits)

$\beta$	$\chi$	$\epsilon$	$\delta$	$\alpha$	$\lambda_1$	$\lambda_2$	$\vartheta$	$\phi_\pi$	$\rho_R$
0.99	$H = \frac{1}{3}$	7	0.025	0.33	0.33	1	1	1.5	0.9

$U$	$N = 1 - U$	$F$	$s = \frac{F*U}{(1-F)*N}$	$U^s = 1 - (1 - s) N$
0.057	0.943	0.71	0.148	0.197

# Results

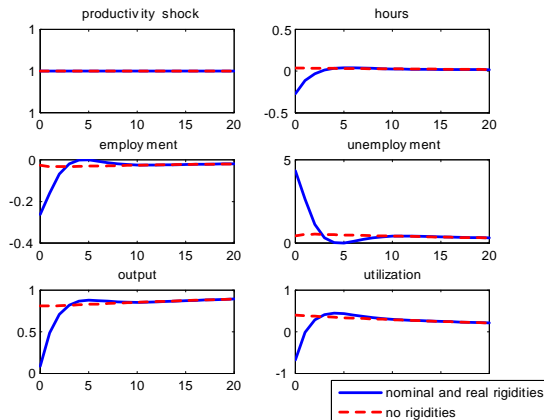


# Results: Volatility

	St.Dev. (relative to GDP)			
	U	N	H	Tot. H
Data	5.46		0.21	0.78
Neutral	3.85	0.22	0.17	0.39
Inv.Spec.	1.46	0.08	0.2	0.19
Monetary	7.58	0.45	0.23	0.69

- Monetary shocks produce large employment fluctuations, comparable to the unconditional data.
- Neutral technology shocks imply a fair amount of employment volatility.
- Investment-specific shocks barely affect the labor market.

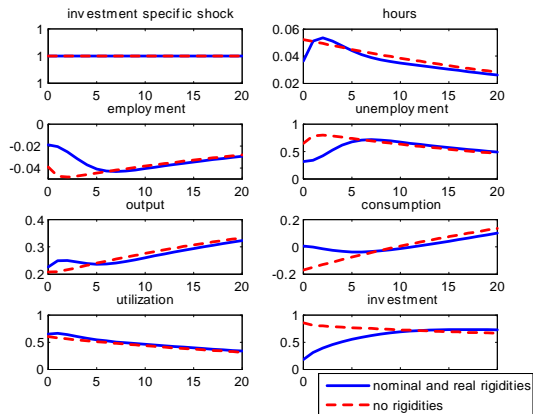
# Results: neutral technology shocks



## Results: neutral technology shocks

- With flexible prices, no habits and no investment adjustment costs, the model is close to reproduce the Blanchard-Gali (2009) "neutrality result", although capital accumulation is modeled explicitly.
- With nominal and real rigidities the model achieves an equal split on the two margins and rationalizes the evidence by Canova et al. (2009).
- When  $\eta > 7$  the employment response is larger.

# Results: investment-specific shocks

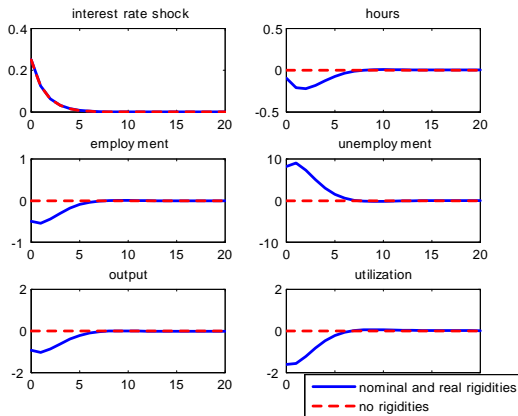




## Results: investment-specific shocks

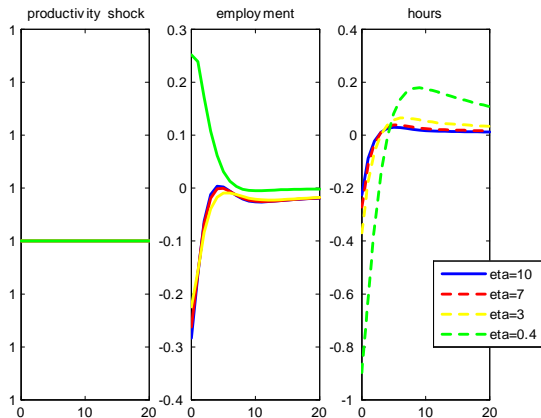
- Employment almost does not move in keeping with the evidence.
- Hours move more but still very little propagation.
- Nominal and real rigidities barely affect the transmission mechanism

# Results: monetary shocks

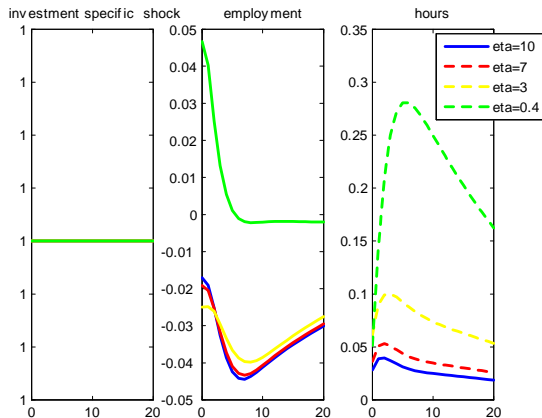


Adjustment is larger on the employment margin as in Sveen and Weinke (2007)

# Results: sensitivity to labor supply elasticity



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## Results: sensitivity to labor supply elasticity

- Several papers (Jaimovich and Rebelo (2009), Ravn and Simonelli (2008), Schmitt-Grohe and Uribe (2008)) study investment-specific shocks
  - Large propagation
  - Positive comovement between consumption and investment
- All these papers use  $\eta$  around 0.4 arguing that it refers to variations across both margins.
- Here we model explicitly the two margins but we still need  $\eta$  around 0.4 to obtain propagation.
- No propagation and the impact consumption response is at most zero for plausible values of  $\eta$  (see Furlanetto, Gomes and Seneca (2009)).

# Conclusion

- We present a New Keynesian model that obtains a reasonable split across the two margins of labor adjustment
- Large employment variations in response to technology shocks and monetary shocks.
- Relatively larger response of hours in response to investment shocks. However, no propagation.
- The use of a very elastic labor supply in models with one margin is not justified.

- The household's value of a match with firm  $i$

$$\begin{aligned}\widetilde{W}_t(i) = & W_t(i) H_t(i) - \chi_t C_t \frac{H_t(i)^{1+\eta}}{1+\eta} \\ & + E_t \left\{ \Lambda_{t,t+1}^R \left[ (1-s) \widetilde{W}_{t+1}(i) \right. \right. \\ & \left. \left. + s \left( F_{t+1} \widetilde{W}_{t+1} + (1-F_{t+1}) \widetilde{U}_{t+1} \right) \right] \right\}. \quad (14)\end{aligned}$$

where  $\widetilde{W}_t \equiv \int_0^1 \widetilde{W}_t(i) \frac{L_t(i)}{L_t} di$  and  $F_t \equiv \frac{L_t}{U_t}$ .

- The value of being unemployed

$$\widetilde{U}_t = BZ_t \Psi_t^{\frac{\alpha}{1-\alpha}} + E_t \left\{ \Lambda_{t,t+1}^R \left[ F_{t+1} \widetilde{W}_{t+1} + (1-F_{t+1}) \widetilde{U}_{t+1} \right] \right\}. \quad (15)$$

- As in Blanchard and Galí (2009) the value of a match for firm  $i$  corresponds to the cost of hiring a worker

$$\tilde{J}_t(i) = G(F_t), \quad (16)$$

which is independent of the firm.

- Surplus splitting implies

$$(1 - \phi) \tilde{J}_t = \phi \left( \tilde{W}_t(i) - \tilde{U}_t \right), \quad (17)$$

where  $(1 - \phi)$  denotes the weight of workers in the bargain.